# Computer programming <br> Iterative processing. Bitwise operators 

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15 October 2013

## Assignment operators

We've used the simple assignment: Ivalue = expression Ivalue: variable; also: array element; pointer dereference

Compound assignment operators: += -= *= /= \%= $\mathrm{x}+=$ expr is a shorthand for $\mathrm{x}=\mathrm{x}+\operatorname{expr}$ also for bitwise assignment operators >> << \& - | use them: shorter, but also makes intent of transformation clearer Increment/decrement operators prefix/postfix: ++ -$++i \quad i n c r e m e n t s i$, expression value is value after assignment i++ increments i, expression value is value before assignment both have same side effect (assignment) but different value int $\mathrm{x}=2, \mathrm{y}, \mathrm{z} ; \mathrm{y}=\mathrm{x}++; / * \mathrm{y}=2, \mathrm{x}=3$ */; $\mathrm{z}=++\mathrm{x} ; / / \mathrm{x}=4, \mathrm{z}=4$

## Side effects and sequencing points

The C standard defines sequence points, which constrain the evaluation order. Examples of sequence points are (Annex C) - between evaluating the function designator (function expression) and arguments, and the actual call

- between evaluating first and second arguments for \&\&, II, ,
- between evaluating the first operand in ? : and the second/third

If a side effect on a scalar object is unsequenced relative to either a different side effect on the same scalar object or a value computation using the value of the same scalar object, the behavior is undefined. If there are multiple allowable orderings of the subexpressions of an expression, the behavior is undefined if such an unsequenced side effect occurs in any of the orderings.

C standard, 6.5 Expressions
Thus, $\mathrm{i}=\mathrm{i}++$ or $\mathrm{a}[\mathrm{i}]=\mathrm{i}++$ are undefined!

## Caution with multiple side effects!

Even when order of side effects is well defined, use with caution!
DON'T write: return i++; assignment to $i$ is useless, since the function returns obscures intent (should it be return i; or return i+1; ?

DON'T: $\mathrm{c}=$ toupper (c); return c ; DO: return toupper (c);
DON'T read multiple characters in an expression:
if ((c1 = getchar()) == '*' \&\& ((c2 = getchar()) -= '/'))
if first comparison fails, second char is not read
$\Rightarrow$ hard to reason about program behavior

## The break statement

Exits the immediately enclosing switch or loop statement Used if we don't want to continue the remaining processing Usually: if (condition ) break;

```
#include <ctype.h>
#include <stdio.h>
int main(void) { // count words in input
    unsigned nrw = 0;
    while (1) { // infinite loop, exit with break
    int c;
    while (isspace(c = getchar())); // consume spaces
    if (c == EOF) break; // done
    nrw = nrw + 1; // else: start of word
    while (!isspace(c = getchar()) && c != EOF); // word
    }
    printf("%u\n", nrw);
    return 0;
}
```


## The for statement

for (init-clause ; test-expr ; update-expr) statement
is equivalent* with:

* except: continue statement, see later
init-clause; while (test-expr) \{ statement update-expr;

Any of the 3 parts in (...) may be missing, but semicolons stay If test-expr is absent, it is considered true (infinite loop)

Before C99: init part could only be an expression Since C99: init-clause can also be a declaration scope of declared identifiers is loop body only
$\Rightarrow$ USE loop scope for counters, if not needed later (scope of identifiers should only be as much as needed)

WARNING! The semicolon ; is the empty statement DO NOT use after closing ) of for unless for empty body!

## Counting with for loops

```
#include <stdio.h>
int main(void)
{
unsigned n = 5;
while (n--) // from n-1 to 0: n-- != 0, postdecrement
    printf("loop 1: n = %d\n", n);
n = 5; // reinitialize after countdown to 0
for (int i = 0; i < n; ++i) // from 0 to n-1
    printf("loop 2: counter %d\n", i);
for (int i = 1; i <= n; ++i) // from 1 to n
    printf("loop 3: counter %d\n", i);
for (int i = n; i > 0; --i) // from n to 1
    printf("loop 4: counter %d\n", i);
for (int i = n; i--;) // from n-1 to 0, postdecr.
    printf("loop 5: counter %d\n", i);
return 0;
}
```


## Counting with for loops

If direction does not matter, this is shortest:
for (int $i=n$; i--;)
also easier to compare to zero
Warning: test expression is computed every time
$\Rightarrow$ avoid needless computation, e.g.
for (int $i=0 ; i<\operatorname{strlen}(s) ;++i)$
If needed, precompute upper bound:
for (int i = 0, len = strlen(s); i < len; ++i)
(if lucky, compiler may optimize for you, but not always)

## Example: rewrite, starting every word with uppercase

```
#include <ctype.h>
#include <stdio.h>
int main(void) {
    int c;
    while((c = getchar()) != EOF) {
    if (!isspace(c)) { // first letter
        putchar(toupper(c)); // print uppercase
        while ((c = getchar()) != EOF) { // still word?
            putchar(c); // print even if space
            if (isspace(c)) break; // but then exit
        }
        } else putchar(c);
    }
    return 0;
}
```


## The continue statement

jumps to the end of the loop body in a while, do or for loop
i.e. to the test, in while and do loops
and to the update expression in a for loop

```
for (int d = 2; ; ++d) { // write prime factors of n
    if (n % d != 0) continue; // not divisible; next d
    int exp = 0;
    do exp++; // count exp while d is factor
    while ((n /= d) % d == 0);
    printf ("%d^%d", d, exp); // write current factor
    if (n > 1) putchar('*') else break;
}
```

Use sparingly.
can make code clearer, if decision to skip is early, and loop is long otherwise, a simple if may be cleaner/clearer.

## The switch statement: example

```
#include <stdio.h>
int main(void)
{
    int a = 3, b = 4, c, r;
    switch (c = getchar()) {
        case '+': r = a + b; break; // end switch
        case '-': r = a - b; break;
        case 'x': c = '*'; // continue onto next branch
        case '*': r = a * b; break;
        case '/': r = a / b; break;
        default: fputs("Unknown operator\n", stderr);
        return 1;
    }
    printf("Result: %d %c %d = %d\n", a, c, b, r);
    return 0;
}
```


## The switch statement

Used for multiple branches depending on an integer value can be clearer/more efficient than multiple if ... else

Syntax: switch ( integer-expression ) statement statement is a block with multiple statements, some labeled: case value: statement

The integer expression is evaluated.
If the statement has a case label with that value, jump to it Otherwise, if there is a default, label, jump to it Else, do nothing (goes on to next statement after switch)
A statement may have several labels (flow jumps to same code) case val1: case val2: statement

Normal statement sequencing applies: flow does does not stop at the next case label (it's just a label)
$\Rightarrow$ to exit switch statement, use break; statement (don't forget!)

## switch vs. if ... else

A multiple if ... else statement will do multiple tests (until one succeeds)

A switch statement may be implemented using a jump table: the expression is evaluated and used as index in a table of addresses
$\Rightarrow$ can be more efficient if range of possible values is limited (also: compiler may limit range of values to 1023, cf. standard)

More importantly: a switch may be easier to read
But: be careful not to forget break where needed!

## Writing and testing loops

We should consider: what variable changes in each iteration ? what is the loop continuation/stopping condition?

Don't forget update of variable that controls loop (otherwise will loop forever)

What do we know on exiting the loop ? The loop condition is false. we consider this as we reason further about the program

We inspect/check/test the program:
mentally, running it "pencil and paper" on simple cases then with increasingly complex tests, including corner cases

## What use are bitwise operators?

To access the internal representation of data (e.g., numbers) and represent/encode/process some types of data efficiently

A set (of integers): represented by a bit for each possible element ( $1=$ is member; $0=$ is not member of set)
$\Rightarrow$ sets of small integers: using an int (uint32_t, uint64_t)
(fixed-width integer types defined in stdint.h)
Set operations:
intersection $=$ bitwise AND
union = bitwise OR
adding an element: setting the corresponding bit
The current date can be represented using bits:
day: 1-31 ( 5 bits); month: 1-12 (4 bits)
year: 7 bits suffice for 1900 to 2027
$\Rightarrow$ need operations to extract day/month/year from a 16 -bit value (e.g. uint16_t)

## Bitwise operators

Can only be used for integer operands!
\& bitwise AND
| bitwise OR

- bitwise XOR
~ bitwise complement (opposite value: $0 \leftrightarrow 1$ )
<< left shift with number of bits in second operand vacated bits are filled with zeros; leftmost bits are lost
>> right shift with number of bits in second operand vacated bits filled with zero if number is unsigned or nonnegative else implementation-dependent (usually repeats sign bit) $\Rightarrow$ use only unsigned for portable code!

All operators work with all bits of operands at the same time they don't change operands, just give a result (like usual,$+ *$, etc.)

## Properties of bitwise operators

$\mathrm{n} \ll \mathrm{k}$ has value $n \cdot 2^{k}$ (if no overflow)
$\mathrm{n} \gg \mathrm{k}$ has value $n / 2^{k}$ (integer division) for unsigned/nonnegative
$1 \ll \mathrm{k}$ has 1 only in bit $\mathrm{k} \quad \Rightarrow$ is $2^{k}$ for $\mathrm{k}<8 *$ sizeof (int)
$\Rightarrow$ use this, not pow (which is floating-point!)
~ ( $1 \ll k$ ) has 0 only in bit $k$, rest are 1
0 has all bits $0, \sim 0$ has all bits 1 ( $=-1$, since it's a signed int)
~ preserves signedness, so ${ }^{\sim} 0 u$ is unsigned (UINT_MAX)
\& with 1 preserves a bit, \& with 0 is always 0 n \& ( $1 \ll \mathrm{k}$ ) tests (is nonzero) bit k in n
$\mathrm{n} \&{ }^{\sim}(1 \ll \mathrm{k})$ resets (makes 0$)$ bit k in the result
| with 0 preserves a bit, | with 1 is always 1
$\mathrm{n} \mid(1 \ll \mathrm{k})$ sets (to 1 ) bit k in the result
^ with 0 preserves value, ^ with 1 flips value
n - ( $1 \ll \mathrm{k}$ ) flips bit k in result
Again, none of these have side effects, they just produce results.

## Creating and working with bit patterns (masks)

\& with 1 preserves \& with 0 resets
| with 0 preserves | with 1 sets
Value given by bits $0-3$ of $n$ : AND with $0 \ldots 01111_{(2)} \quad n$ \& $0 x F$
Reset bits 2, 3, 4: AND with ${ }^{\sim} 0 \ldots 011100_{(2)} \quad n \&=\sim 0 x 1 C$
Set bits 1-4: OR with $11110_{(2)}$ n $\quad \mid=0 \times 1 E \quad$ n $\quad \mid=036$
Flip bits $0-2$ of $n: \quad X O R$ with $0 \ldots 0111_{(2)} \quad n \wedge=7$
$\Rightarrow$ choose fitting operator and mask (easier written in hex/octal)
Integer with all bits 1: $\quad \sim 0$ (signed) or ${ }^{\sim} 0 u$ (unsigned)
k rightmost bits 0 , rest 1 : $\sim 0 \ll k$
k rightmost bits 1, rest 0: $\sim(\sim 0 \ll k)$
$\sim(\sim 0 \ll k) \ll p$ has $k$ bits of 1 , starting at bit $p$, rest 0
( $\mathrm{n} \gg \mathrm{p}$ ) \& $\sim(\sim 0 \ll k): n$ shifted $p$ bits, reset all except last $k$
$\mathrm{n} \&(\sim(\sim 0 \ll k) \ll p)$ reset all except $k$ bits starting at bit $p$

